

بسم الله الذى لا يضر مع اسمه شئ فى الأرض ولا فى السماء وهو السميع العليم

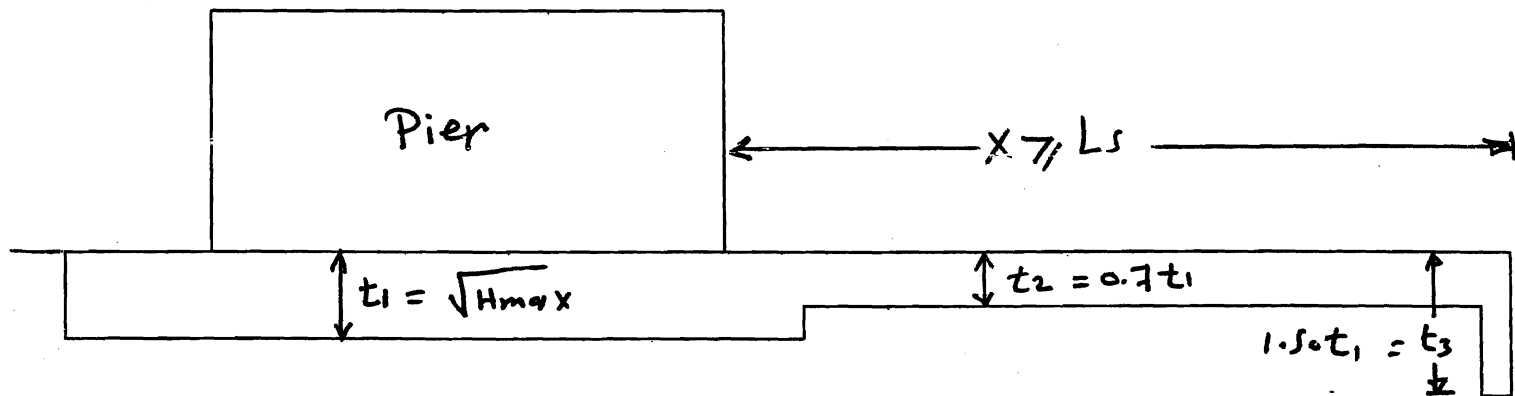
2.1-3

REGULATORS

Design of Floor

1-B
30°

Dims of Floor according of Scour & Percolation



.. $y_{d.s} = \checkmark$

o - $y_{u.s} = y_{d.s} + H_{upall}$ or $[u.s.w.l - b.l]$

.. $H_{max} = y_{u.s}$

.. $L_s = 2.1 CB \sqrt{\frac{H_{max}}{3.90}} = \checkmark$

o. $L_{P_{req}} = CB * H_{max} = \checkmark$

o. $L_{P_{ac}} = \sum H + \sum v = \checkmark$ مجموع الارتفاعات الأفقية والعمودية.

$L_{P_{ac}} > L_{P_{req}}$ OK

إذا لم يتحقق الشرط السابق :-

- ① تكبر المسافة خلف Pier
- ② " " " " " " Pier
- ③ وضع ترصعة أمام Pier

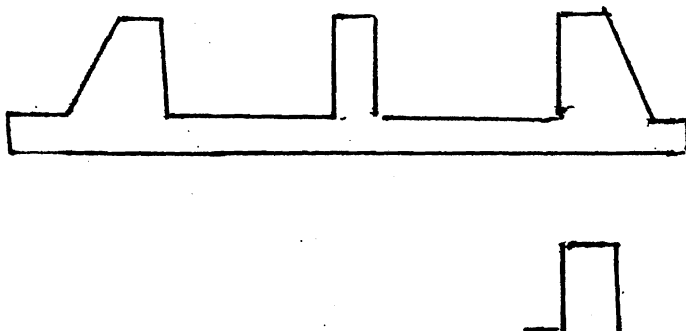
ملاحظات عند التصميم

- ١- يتم عمل الفرشة Floor بحيث تتحمل أحمال إقنطة
- ٢- يتم الحابطة على أن سلك الفرشة Rigit بمعدن
أنه الاجهادات تتوزع بنظام تحت الفرشة
- ٣- عند تصميم الفرشة (Floor) وصباها لأعمال يتم أخذ قطاع
معرضة - ١٢٠ تحت الكوبرس ← إلى سوا
- ٤- من الطبيعي دائما الفرشة خزانة مسلة ولكن لبغلة
والحوارط تحت خزانة عادية
- ٥- تصميم الفرشة يتم على خطواته

.. check of soil stress

.. calculate (t, As)

٦- ساعد الحوارط



check of soil stress

.. الأحمال الرأسية فقط هي التي تسبب إجهادات عمودية

لذلك

$$\sigma = \frac{\sum \text{vertical load}}{B \text{ (عرض البشة)}}$$

.. يمكن أخذ نصف المنشأ فقط للتصميم

$$\sigma = \frac{\sum \text{vertical load} \leftarrow \text{نصف المنشأ}}{B \leftarrow \left(\frac{1}{2} \text{ عرض}\right)}$$

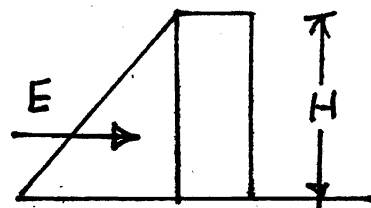
$$\text{.. المحل} = \underbrace{\text{مادة} \times 1.5}_{\text{معامل الأمان}} \times \text{الكثافة}$$

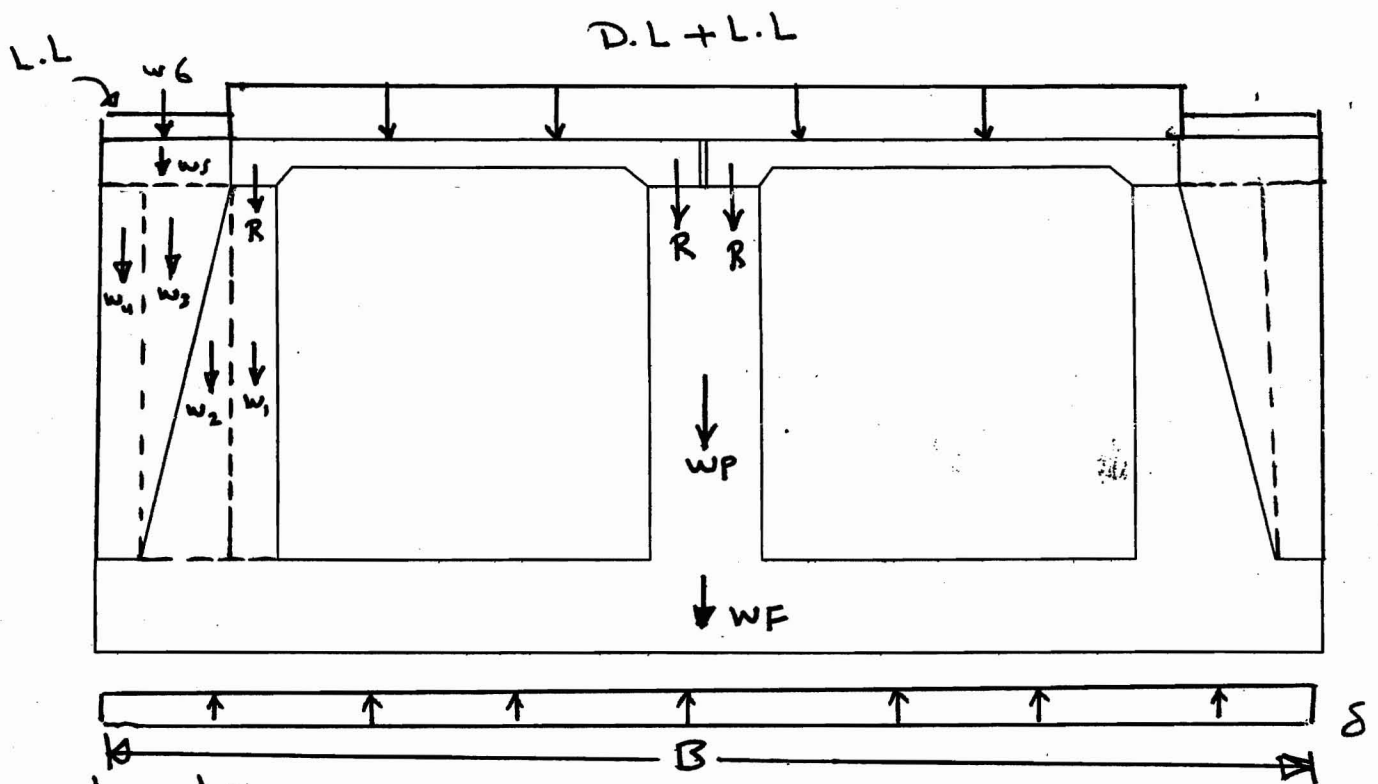
$$\text{إذا لم تقدر} \quad \gamma_e = 1.80, \quad \phi = 30^\circ$$

$$K_a = \frac{1 - \sin \phi}{1 + \sin \phi}$$

توزيع ضغط التراب

$$E = 0.5 \gamma H^2 K_a = \checkmark$$





1. Loads

$$* - R = \frac{(D.L + L.L) \cdot S + R}{2}$$

$$* - W_{1-2} = \text{Area} \times L.O \times \gamma_{R.C} \text{ or } P.C$$

$$* - W_{3-5} = \text{Area} \times L.O \times \gamma_e$$

$$* - W_6 = L.L \times \gamma = t$$

$$* - W_F = B \times t_F \times L.O \times \gamma_{R.C} = \text{ton}$$

$$* - W_P = A_P \times L.O \times \gamma_{P.C} \text{ or } R.C$$

2. check of soil stress

$$\sigma = \frac{\Sigma \text{val load}}{B}$$

Calculate t, A_s

steps

1- loads

$$2. S = \frac{\sum \text{val load}}{B} = \checkmark t/m'$$

3- Location of Zero shear

... يتم التصميم على أقصى عزم M_{max} الذي يوجد عند zero shear

.. قوة القص تؤثر رأياً على العزلة لذلك لحساب z_{sh}

يتم طرح $y = 0.5$ (مجموع الزوايا الرئيسية = 0.0) $\leftarrow x = \checkmark$

.. إذا كان عدد الفتحات ثلاث (1-3- -) يكون مكان zero shear في

المنصف بدون حسابات أنا إذا كان زرجي يتم حابة

من الفتحة القريبة من منتصف المنصف $\frac{n}{4} \rightarrow 2$ ^{ملاحظة}

4- Calculate (m, n)

$$m_{max} = \checkmark$$

$$N = E$$

5- design

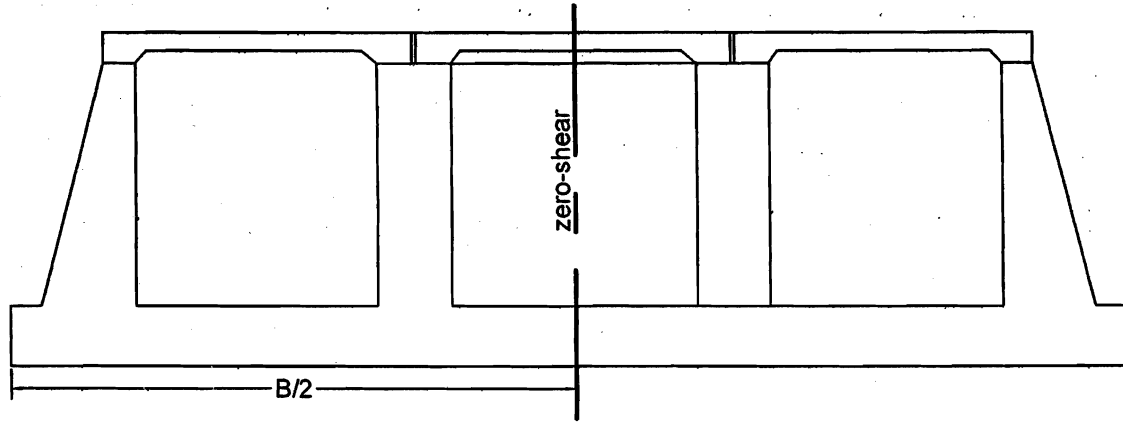
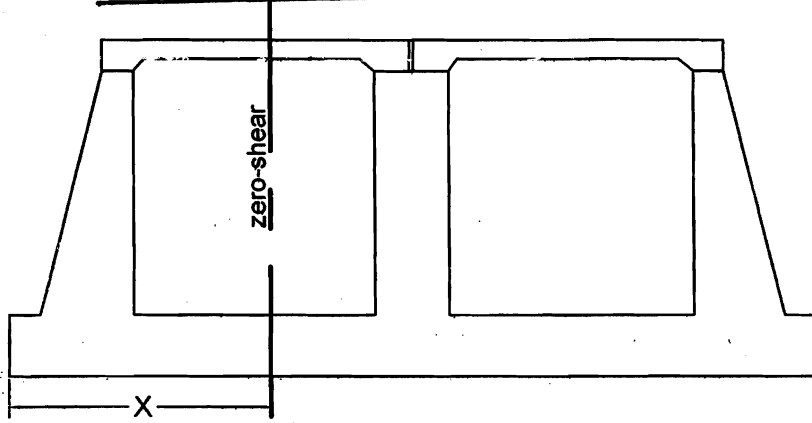
$$d = K_1 \sqrt{\frac{m}{b}}$$

رسمي

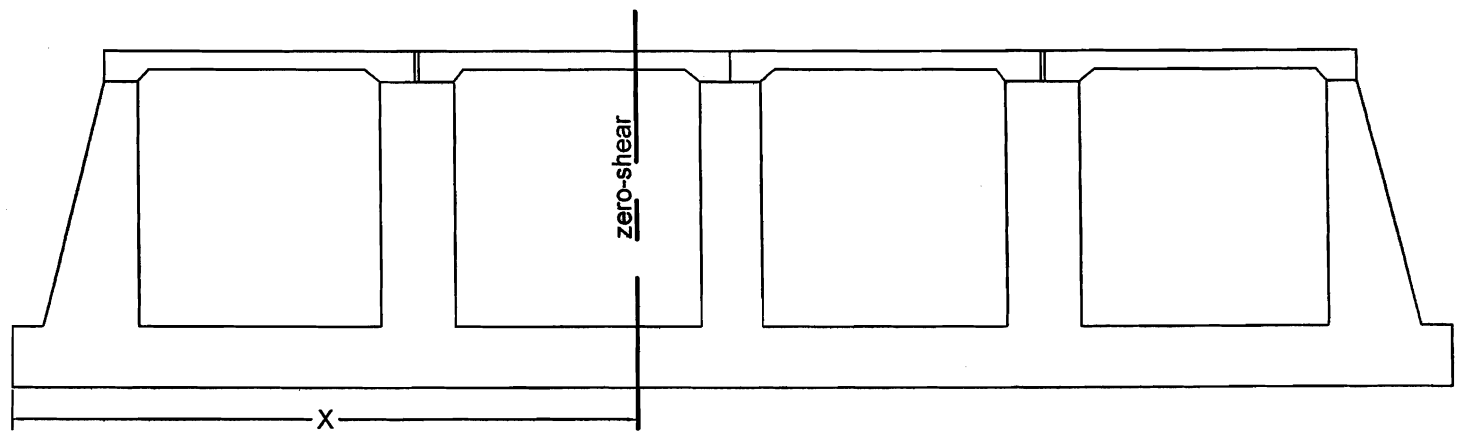
$$A_s = \frac{m}{K_2 d}$$

$$\& A_{smin} = \frac{0.2}{100} A_c$$

Location of zero-shear



مہ فی حسابات
نی (مستقیم)
N ← فردی

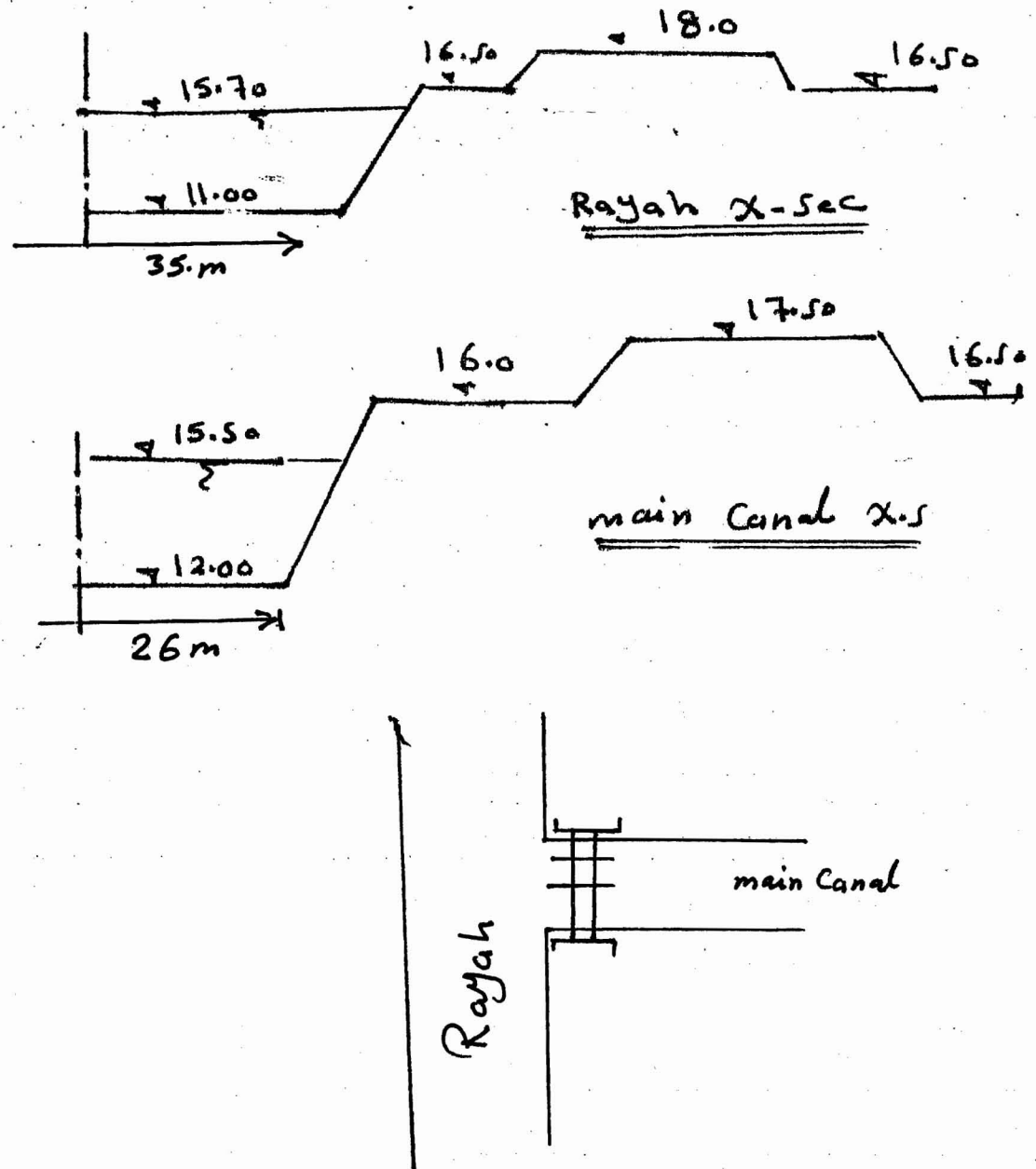


مہ الآخر : . يتم إحصاء مساحة shear في طالت N ← عدد زوجي

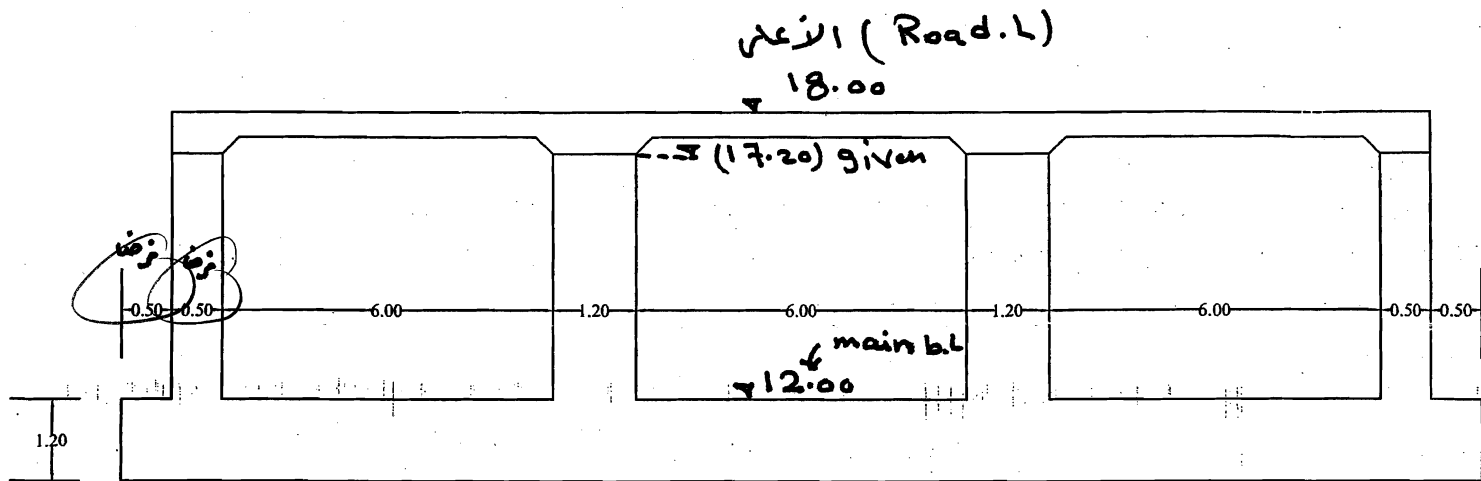
Example (1)

A reinforced concrete head regulator without approach channel is to be constructed to feed a main canal from rayah as shown in figures. The regulator consists of three vents with 6.0 spans for each. The bridge width over regulator is 12 m and has two sidewalk of 1.5 m each. The width of piers is 1.20 m and the upper level of piers is (17.20). the equivalent LL and DL on the bridge is 2.0 t/m^2 and 1.50 t/m^2 respectively. The soil properties at the regulator site are: $\phi=30$, $\gamma_{\text{bulk}}=1.65 \text{ t/m}^3$, and the soil bearing capacity $=1.35 \text{ kg/cm}^2$, $k_1=0.313$ & $k_2=1218$

It is required to give a complete design for R.C. floor ($t_f=1.20 \text{ m}$)



given :-

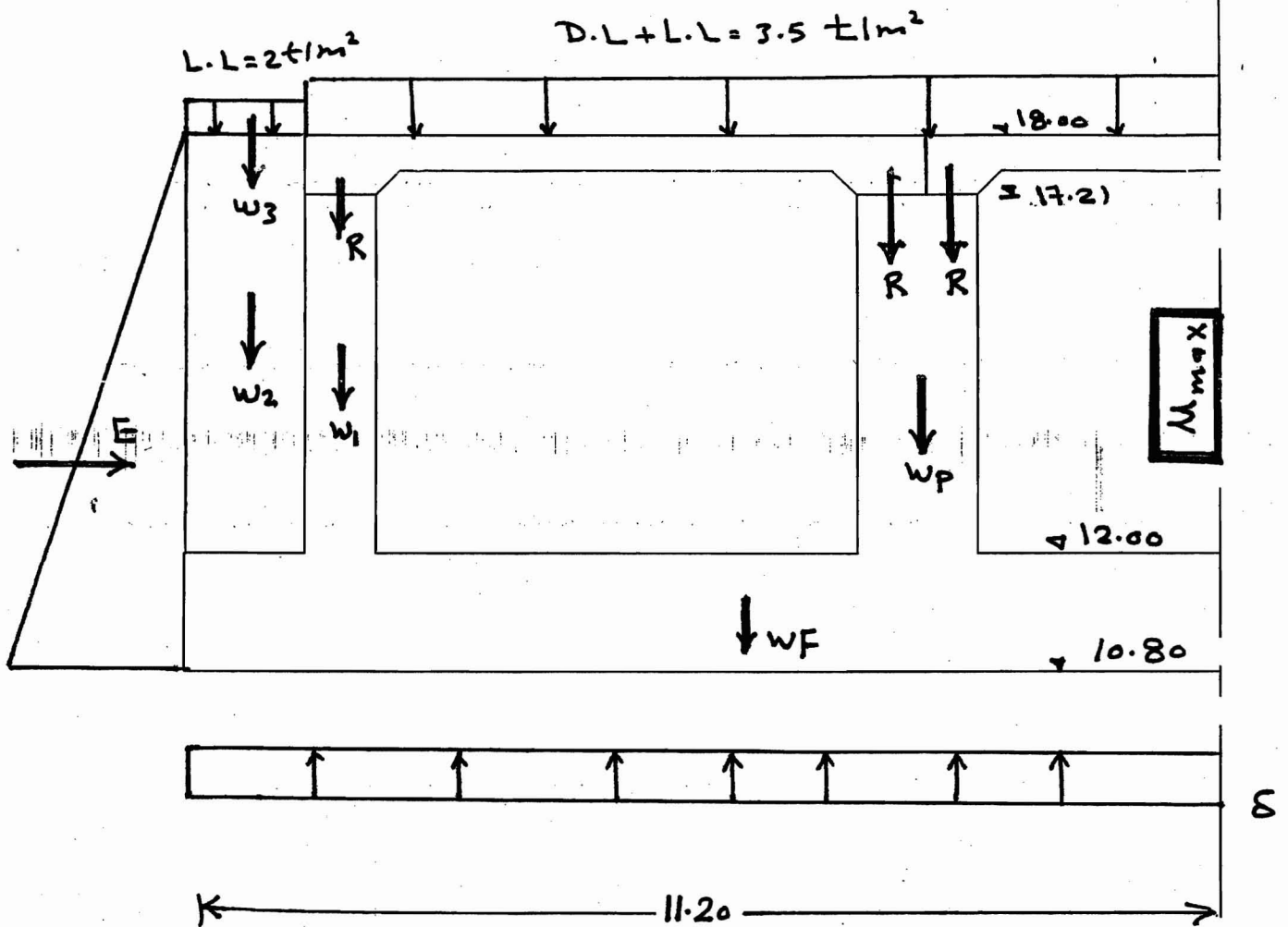


خطوات الحد:

١. حساب الزوال
٢. حساب الإجهادات عند التربة
٣. إيجاد نظام زلزلي عزم $\left[\begin{matrix} \text{Zero shear} \\ \equiv \\ M_{max} \end{matrix} \right]$
٤. إيجاد M, N
٥. التقسيم (t, A_s)
٦. حجم التسليح

الحظفة :-

بصحة عامة على إفيد $\frac{1}{2}$ كذا عن صاحب د



لزم عدد الفتحات عرضي ← كما M_{max} في السقف

1-Loads

$$\begin{aligned} \bullet \text{ } R &= \frac{3.5 \times 7.2}{2.0} = 12.60 \text{ t} \\ \bullet \text{ } W_P &= 5.20 \times 1.20 \times 1.0 \times 2.50 = 15.60 \text{ t} \\ \bullet \text{ } W_F &= 11.20 \times 1.20 \times 1.0 \times 2.50 = 33.6 \text{ t} \\ \bullet \text{ } W_1 &= 5.20 \times 0.5 \times 1.0 \times 2.50 = 6.50 \text{ t} \\ \bullet \text{ } W_2 &= 6.0 \times 0.50 \times 1.0 \times 1.65 = 4.95 \text{ t} \\ \bullet \text{ } W_3 &= 2 \times 0.5 \times 1.0 = 1.0 \text{ t} \end{aligned}$$

$5.20 \times 1.65 \times 7.2^2 \times \frac{1}{2} = 14.25 \text{ t}$

2-Check Of Stresses

نقطه برآیند نقطه

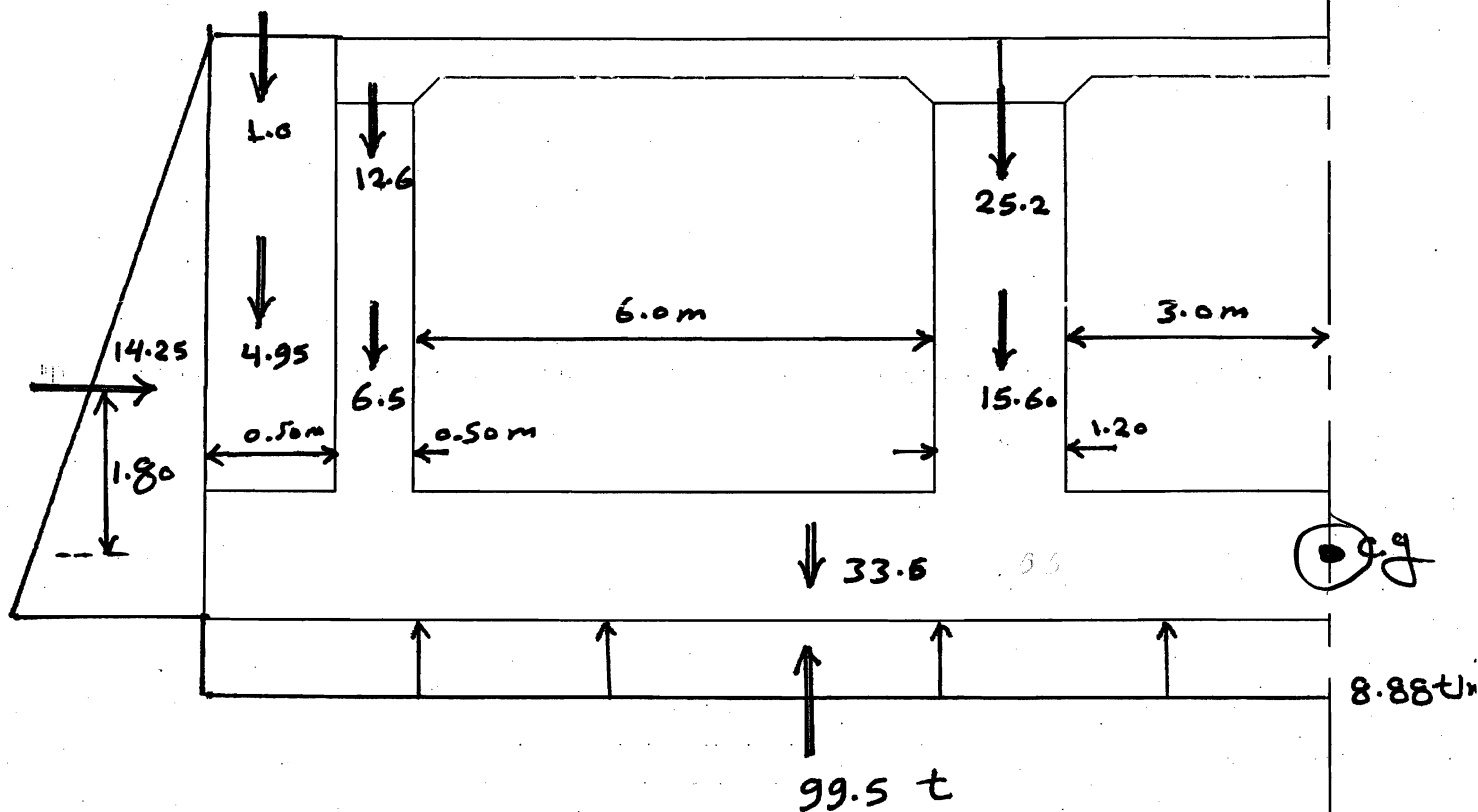
$$\delta = \frac{3R + WP + WF + W_1 + W_2 + W_3}{11.20}$$

$$= \frac{3 * 12.60 + 15.60 + 33.60 + 6.50 + 4.95 + 1.0}{11.20}$$

$$\delta = 8.88 \text{ t/m}^2 < 13.5 \text{ t/m}^2 \text{ or } 1.35 \text{ kg/cm}^2$$

3-Location Of Zero Shear

مکان M_{max} در (مستقیم) لانه عدد (فناات فردی)



4-Straining Action(M,N)

$$\begin{aligned}
 M_{max} = & (25.2 + 15.60) \times 3.60 + (12.6 + 6.50) \times 10.45 \\
 & + (1.0 + 4.95) \times 10.95 + 33.60 \times \frac{11.2}{2} - 99.5 \times \frac{11.2}{2} \\
 & - 14.25 \times 1.80 =
 \end{aligned}$$

$$\begin{aligned}
 M_{max} &= 16.94 \text{ t.m/m} \\
 N &= E = 14.25 \text{ t/m}
 \end{aligned}$$

5-Design

$$*- \quad d = K_1 \sqrt{\frac{m}{b}} = 0.313 \sqrt{16.94 \times 1000}$$

$$d = 40.7 \text{ cm} \rightarrow t_{\text{req}} = 45 \text{ cm}$$

$$\text{Take } t = 1.20 \text{ m} \quad d = 1.15 \text{ m}$$

$$*- \quad A_s = \frac{m}{K_2 d} = \frac{16.94 \times 10^5}{1218 \times 115} = 12.1 \text{ cm}^2$$

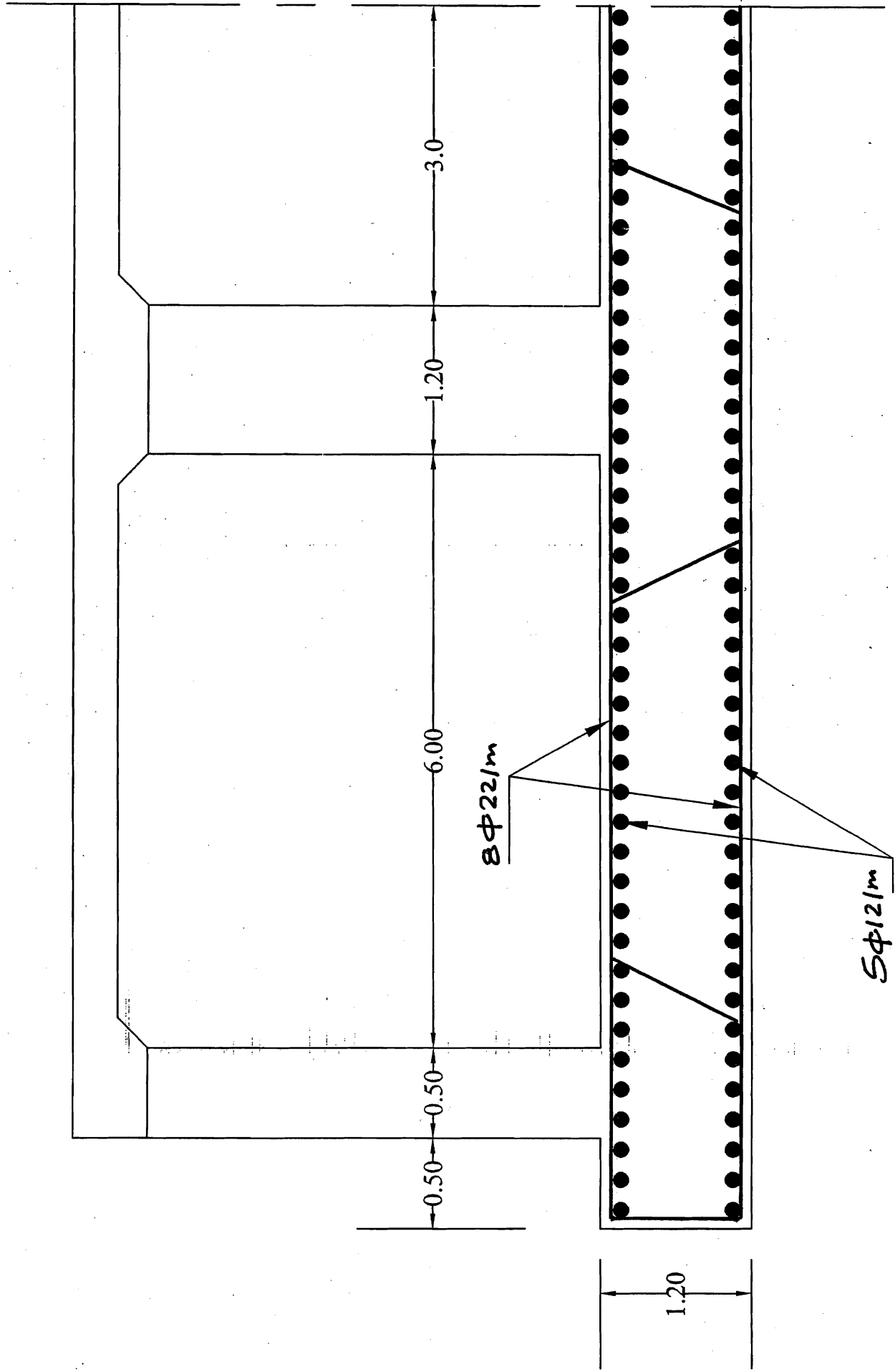
$$A_{s\text{min}} = \frac{0.25}{100} \times b \times t = 30 \text{ cm}^2$$

$$\text{Take } A_s = A_{s\text{min}} = 30 \text{ cm}^2$$

$$\text{select } A_s = 8 \phi 22/\text{m}$$

$$A_s' = 5 \phi 12/\text{m}$$

6-Rft Details



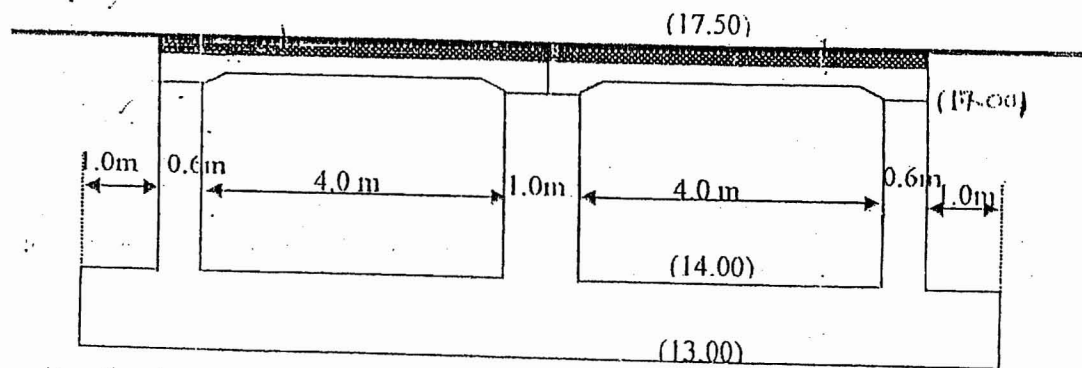
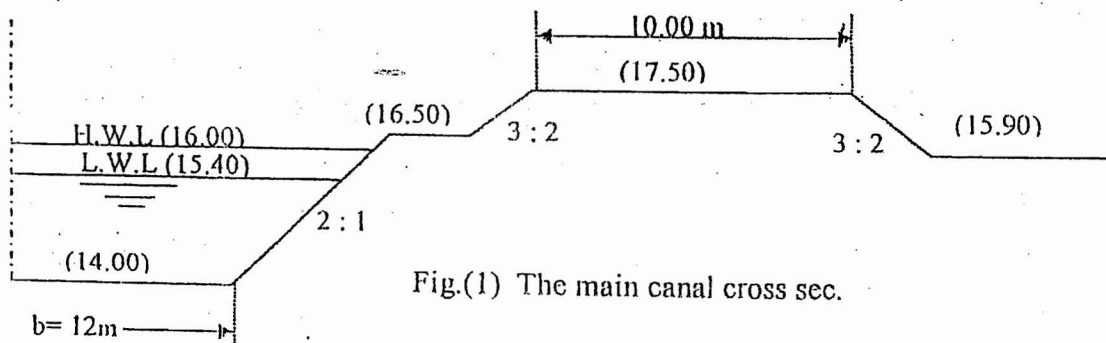
Design of Irrigation Structures (II)

- A) A reinforced concrete head regulator with 200 m approach channel is to be constructed to feed a main canal from a Rayah. The cross section of the main canal is given in Fig. (1). The cross section of the regulator under the bridge is given in Fig.(2). The regulator consists of two vents, each span = 4.0 m. The pier thickness is 1.0 m. The width of the bridge = 10.0 m and it has two side walks of 1.25m width each. The maximum allowable heading up is 10 cm. The maximum allowable discharge through the main canal is 16.0 m³/sec. The equivalent Dead and Live loads of the bridge are 1.2 and 1.5 t/m², respectively. The soil properties at the regulator site are: $\phi = 30^\circ$, $\gamma_{\text{bulk}} = 1.8 \text{ t/m}^3$, and the soil bearing capacity = 1.15 kg/cm².
(For the used R.C, $k_1 = 0.313$ & $k_2 = 1218$)

It is required to :

- 1- Check the full hydraulic design of the regulator,
- 2- Check the soil stresses under the floor, and
- 3- Check the given floor thickness

- ✕ B) Draw a Plan and Sec Elev. for the miter gate position of a symmetrical lock.



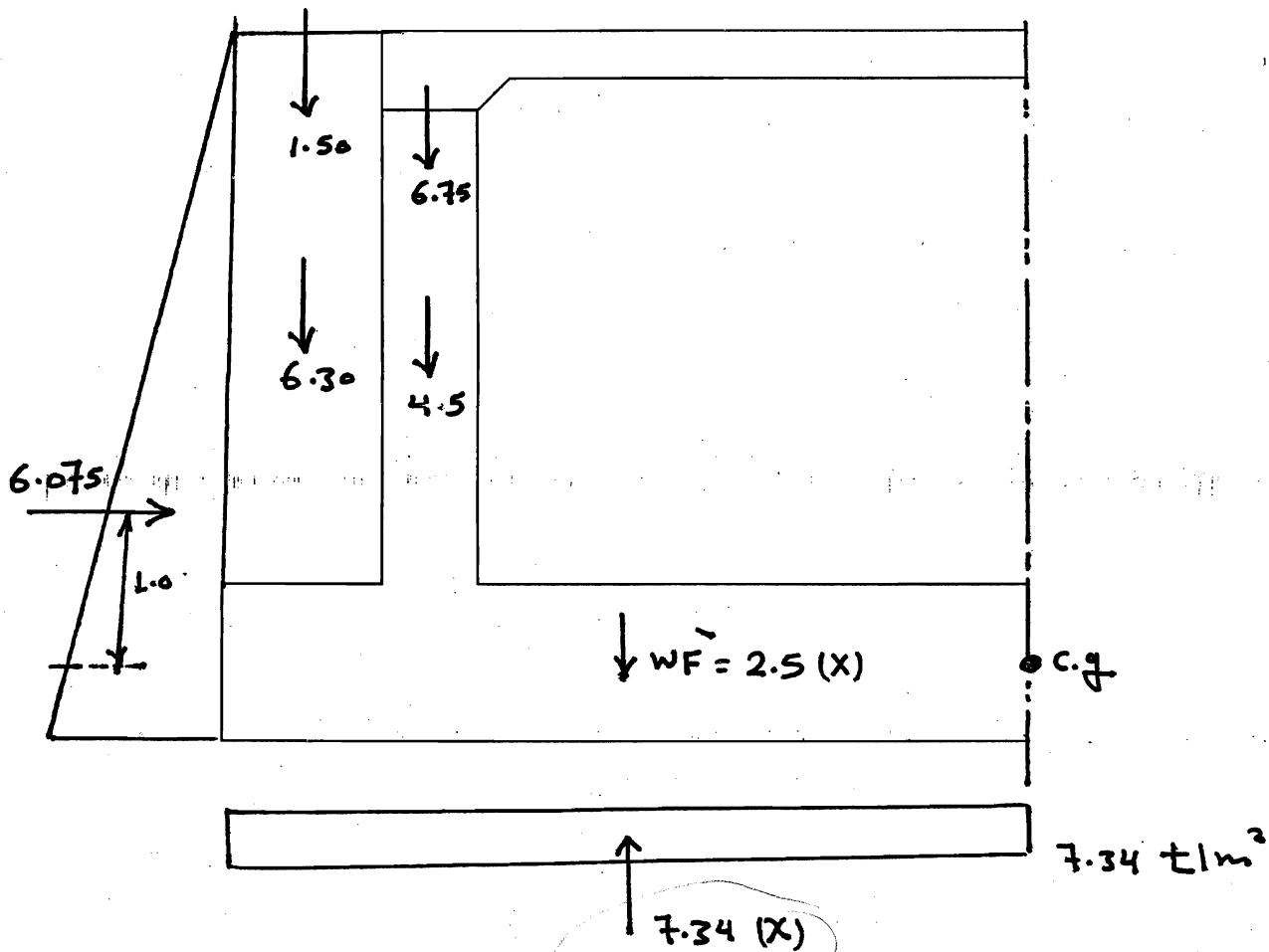
Good luck

2-Check Of Stresses

$$S = \frac{\sum vel \text{ load}}{B_F * 1.0} = \frac{4R + W_P + W_F + 2[W_1 + W_2 + W_3]}{12.2 * 1.0}$$

$$S = \frac{4 * 6.75 + 7.50 + 30.5 + 2[4.5 + 6.3 + 1.50]}{12.2 * 1.0}$$

$$S = 7.34 \text{ t/m}^2 < \underline{\underline{11.5 \text{ t/m}^2}}$$



3-Location Of Zero Shear

$$\sum y = 0.0$$

* - لا يبا و مكانه نقطه عزوم

$$1.50 + 6.75 + 6.30 + 4.50 + 2.5(X) = 7.34(X)$$

$$X = 3.94 \text{ m}$$

4-Straining Action(M,N)

$$m_{max} = 2.5 \times \frac{3.94^2}{2} + (4.5 + 6.75) \times (3.94 - 1.30) + (1.5 + 6.3) \times (3.94 - 0.50) - 6.075 \times 1.0 - 7.34 \times \frac{3.94^2}{2}$$

$$m_{max} = 12.7 \text{ t.m}$$

$$N = E = 6.075 \text{ t}$$

5-Design

$$* - d = K_1 \sqrt{\frac{m}{b}} = 0.313 \sqrt{\frac{12.7 \times 10^5}{100}}$$

$$d = 35.3 \text{ cm} \rightarrow t_{\text{req}} = 40 \text{ cm}$$

< t_{given}
or

Take $t > 100 \text{ cm}$

$$d = 95 \text{ cm}$$

$$* - A_s = \frac{m}{K_2 d} = \frac{12.7 \times 10^5}{1218 \times 95} = 10.97 \text{ cm}^2$$

$$* - A_{s \text{ min}} = \frac{0.25}{100} A_c = \frac{0.25}{100} \frac{b}{100} \times \frac{t}{100} = 25 \text{ cm}^2$$

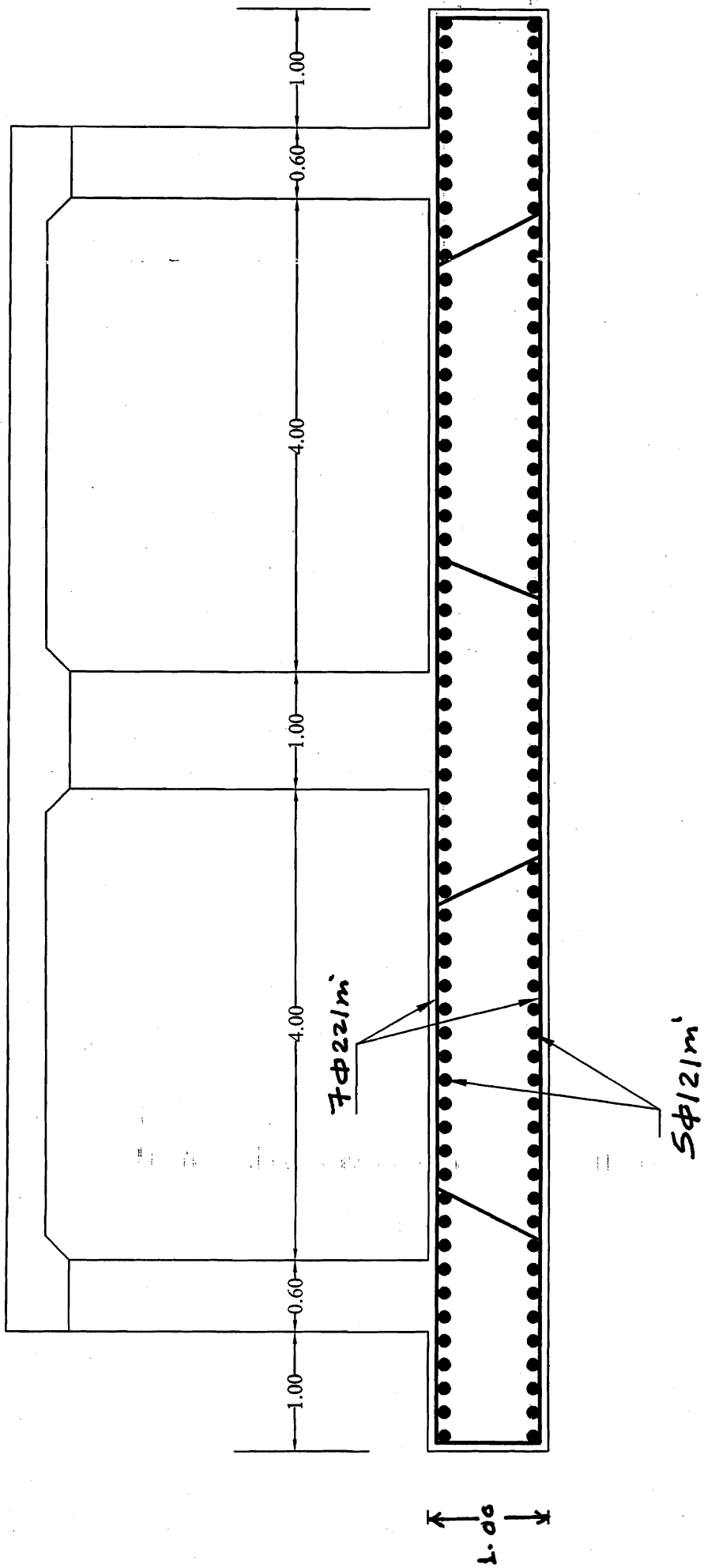
$$\text{Take } A_s = A_{s \text{ min}} = 25 \text{ cm}^2$$

Select $7 \phi 22/\text{m}^2$

$$* - A_s = 5 \phi 12/\text{m}^2$$

$$2500 \text{ mm}^2 = \frac{\pi}{4} (20)^2$$

6-Rft Details



Example (5)

IRRIGATION & HYDR. DEPT.
FOURTH YEAR CIVIL

ALEXANDRIA UNIVERSITY
FACULTY OF ENGINEERING

IRRIGATION DESIGN

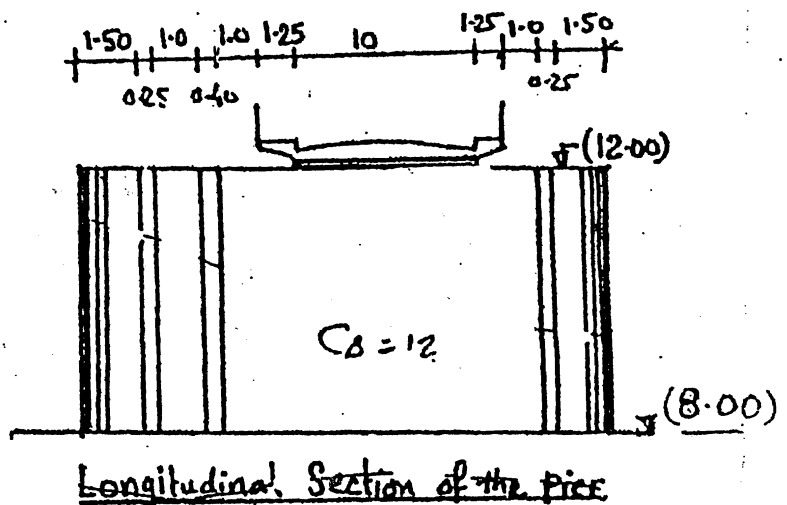
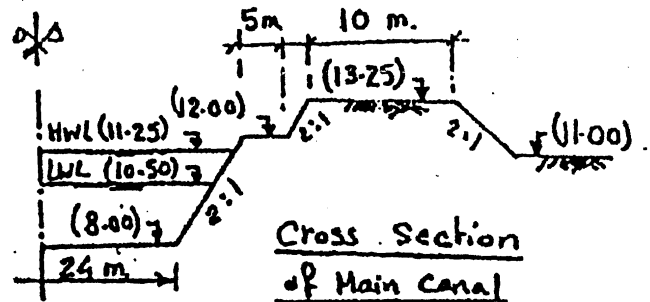
MAY, 1996

TIME ALLOWED : 3 HOURS

Question No. 1

A control regulator is constructed across a main canal. The regulator consists of 4 vents, the span of each = 3.00 m. The regulator is designed for a max. allowable head up = 10 cm. The width of the pier = 1.5 m. The equivalent total D.L. of the bridge = 1.50 Vm^2 . The L.L. on the bridge & the side walks = 1.0 Vm^2 , and 0.4 Vm^2 , respectively. It is required to:

1. a. Calculate the maximum discharge passing through the regulator, when the gates are fully opened.
b. Check the given dimensions of the pier (plain concrete), considering the case of single moment and normal forces only.
c. Calculate the required floor dimensions to overcome both the percolation and all erosion requirements.
d. Considering 1m width under the bridge, calculate & check the floor thickness and Rft.
e. Draw a fully dimensioned neat sketch showing the plan (H.B.R.).



$$\delta_e = 1.80 \text{ t/m}^2$$

$$\phi = 30$$

$$I_{all, soil} = 1.50 \text{ kg/cm}^2 - (K_1 = 0.245 - K_2 = 1046)$$

Required

1 Floor Dims according to PerColation & scour

2 Design of Floor

$$\delta = 2.2 \text{ t/m}^2 \text{ خزانة صلبة} \leftarrow \text{Piers + abutment} \therefore \text{مادة}$$

$$\delta = 2.5 \text{ t/m}^2 \text{ خزانة صلبة} \leftarrow \text{Floor}$$

Calculate the Floor dimensions to overcome both percolation and tail erosion (scour)

$$y_{d.s} = 11.25 - 8.0 = 3.25 \text{ m}$$

$$y_{u.s} = 3.25 + 0.1 = 3.35 \text{ m} = H_{max}$$

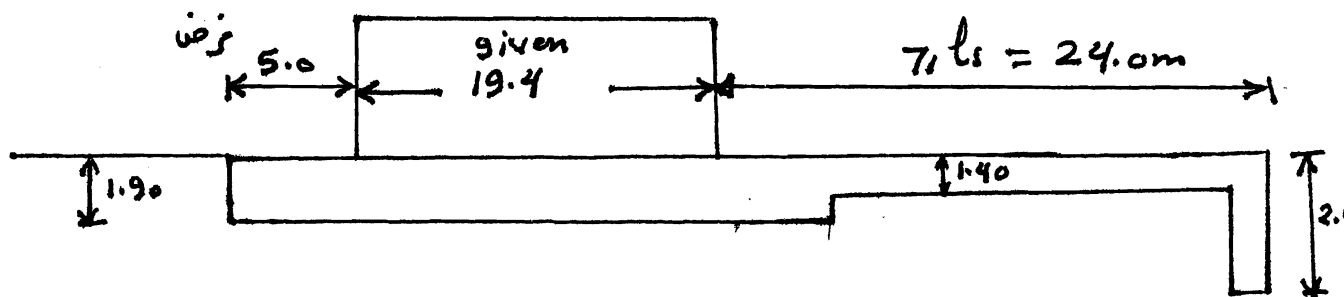
$$l_s = 2.1 \text{ CB} \sqrt{\frac{H_{max}}{3.90}} = 2.1 \times 12 \times \sqrt{\frac{3.35}{3.90}}$$

$$l_s = 24.0 \text{ m}$$

$$t_1 = \sqrt{H_{max}} \approx 1.90 \text{ m}$$

$$t_2 = 0.7 t_1 \approx 1.40 \text{ m}$$

$$t_3 = 1.5 t_1 = 2.90 \text{ m}$$

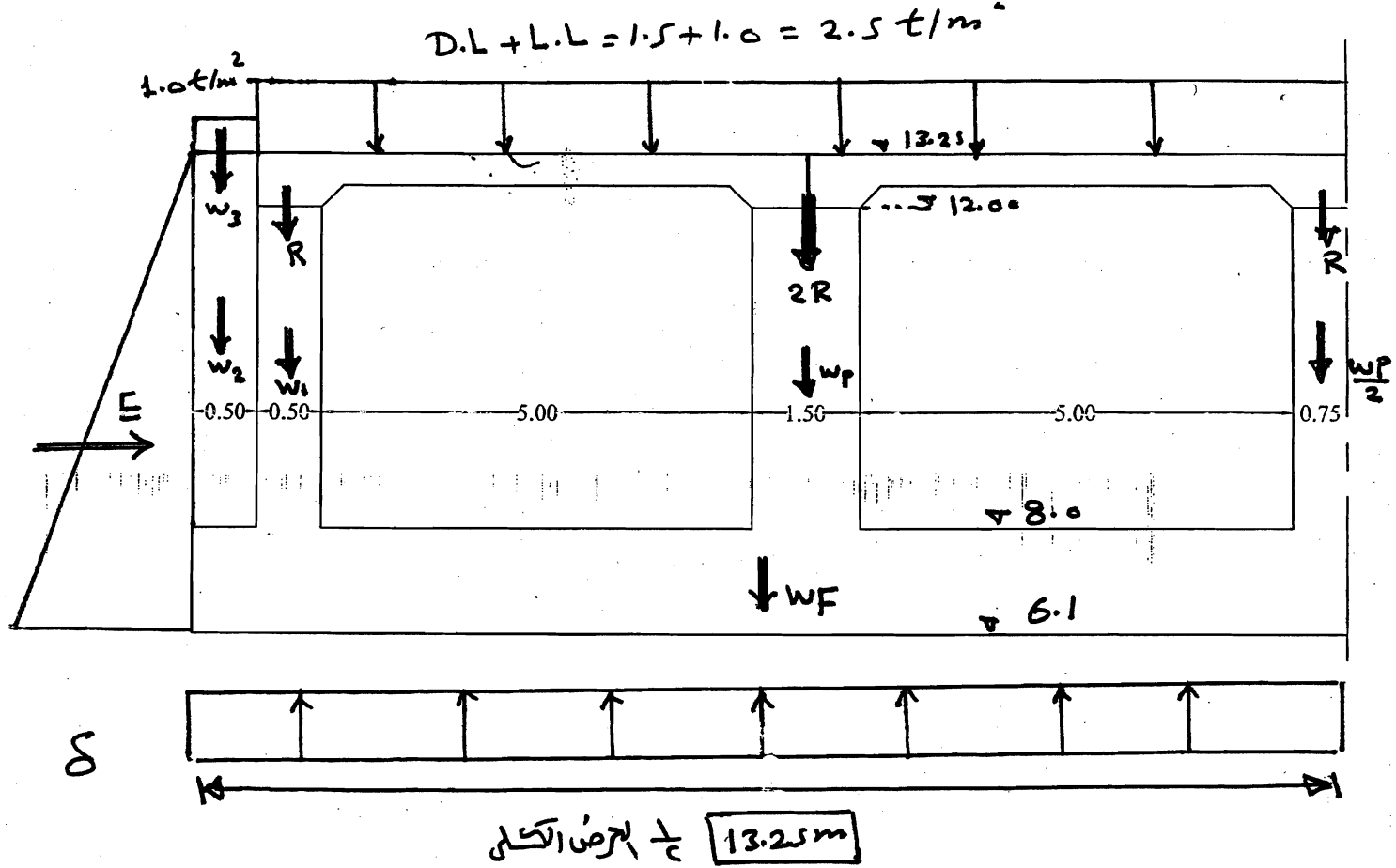


$$\bullet \quad L_{pac} = \sum H + \sum v = (1.9 + 0.5 + 1.5 + 2.9) + (5 + 19.4 + 24)$$

$$L_{pac} = 55.20 \text{ m}$$

$$\bullet \quad L_{p+u} = \text{CB} \times H_{max} = 12 \times 3.35 = 40.2 \text{ m}$$

$$L_{pac} > L_{p+u} \text{ OR}$$



1-Loads

$$R = 2.5 \times \frac{6.5}{2} = \underline{\underline{8.13 \text{ t}}}$$

$$W_P = 1.50 \times 4.0 \times 1.0 \times 2.2 = \underline{\underline{13.2 \text{ t}}}$$

$$W_1 = 0.5 \times 4.0 \times 1.0 \times 2.2 = \underline{\underline{4.4 \text{ t}}}$$

$$W_2 = 0.5 \times 5.25 \times 1.0 \times 1.80 = \underline{\underline{4.73 \text{ t}}}$$

$$W_3 = 0.5 \times 1.0 = \underline{\underline{0.5 \text{ t}}}$$

$$W_F = 13.25 \times 1.90 \times 1.0 \times 2.50 = \underline{\underline{62.94 \text{ t}}}$$

$$E = 0.5 \times 1.80 \times 7.15 \times \frac{1}{3} = \underline{\underline{15.34 \text{ t}}}$$

٥٠٠ - تم أخذ نصف القوة للتصميم من جانب δ

2-Check Of Stresses

$$S = \frac{1.5 W_P + 4 R + W_1 + W_2 + W_3 + W_F}{13.25}$$

$$= \frac{1.5 \times 13.2 + 4 \times 8.13 + 4.4 + 4.73 + 0.5 + 62.94}{13.25}$$

$$S = 9.43 \text{ t/m}^2 < 15 \text{ t/m}^2$$

$$q_{all} = 1.5 \text{ kg/cm}^2$$

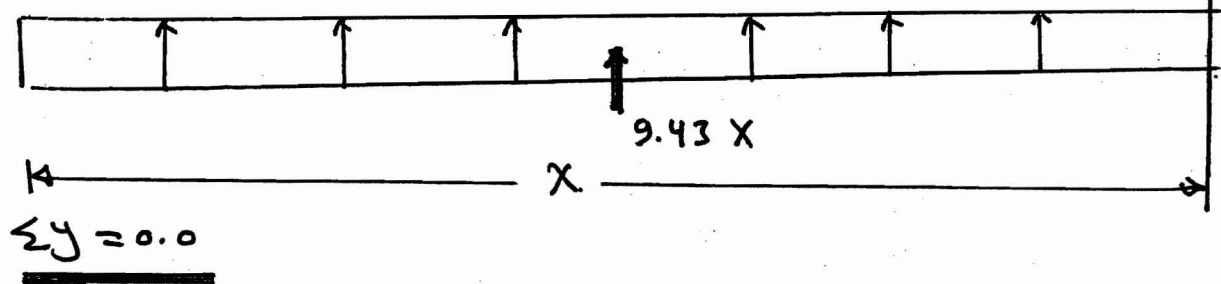
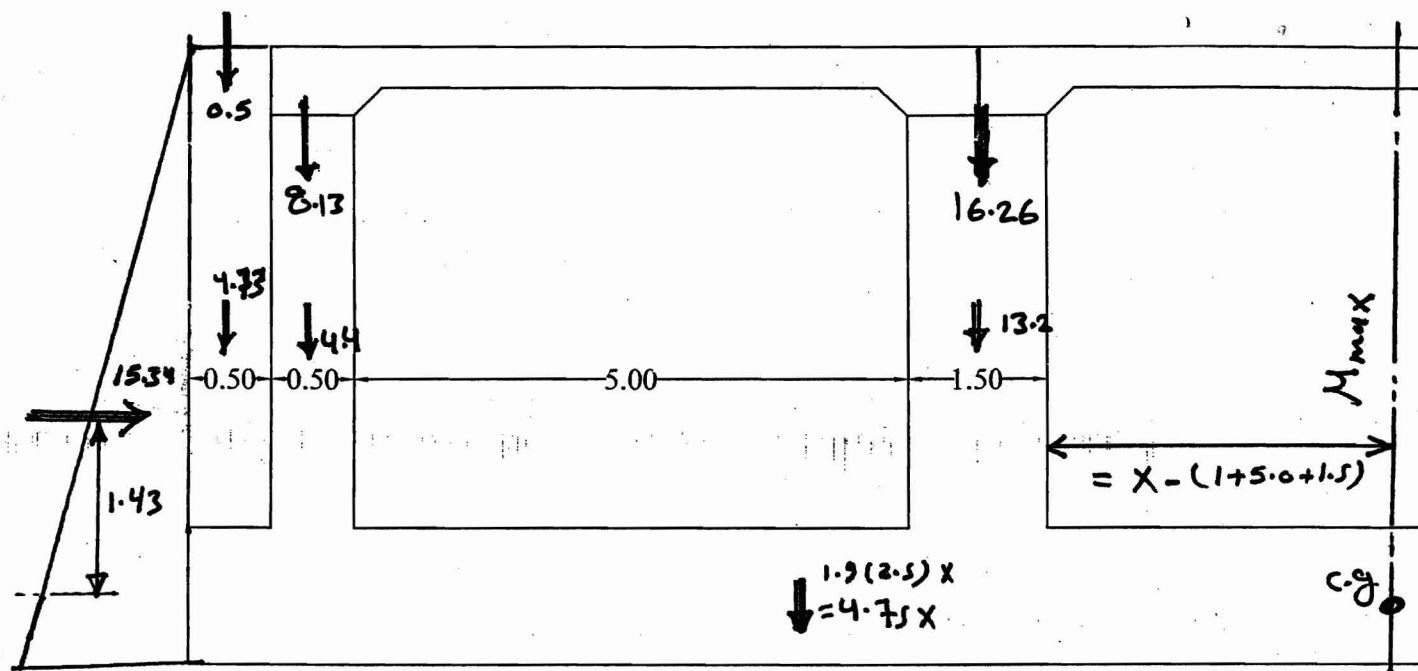
$$\underline{\underline{\underline{S < q}}}$$

3-Location Of Zero Shear

نقطة عزوم يوجد بالفتحة القريبة من منتصف الشدة

← (الفتحة الثانية)

$$x_y = 0.0$$



$$0.5 + 4.73 + 8.13 + 4.4 + 16.26 + 13.2 + 4.75X = 9.43X$$

$$X = 10.1 \text{ m}$$

4-Straining Action(M,N)

$$\begin{aligned} M_{\max} &= (16.26 + 13.2) * (3.35) + (8.13 + 4.4) * (9.35) \\ &+ (0.5 + 4.73) * (9.85) + 4.75 * \frac{(10.1)^2}{2} - \\ &- 9.43 * \frac{(10.1)^2}{2} - 15.34 * 1.43 \end{aligned}$$

$$\begin{aligned} M_{\max} &= 4.2 \text{ t.m} \\ N = E &= 15.34 \text{ t} \end{aligned}$$

5-Design

$$\therefore d = K_1 \sqrt{\frac{m}{b}} = 0.245 \sqrt{\frac{4.2 \times 10^5}{100}} = 15.8 \text{ cm}$$

$$d = 15.8 \rightarrow t_{\text{req}} = 20 \text{ cm}$$

$$\text{Take } t = 190 \text{ cm}$$

$$d = 180 \text{ cm}$$

$$\therefore A_s = \frac{m}{K_2 d} = \frac{4.2 \times 10^5}{1046 \times 180} = 2.23 \text{ cm}^2$$

$$A_{s \min} = \frac{0.25}{100} \times 100 \times 190 = 47.5 \text{ cm}^2$$

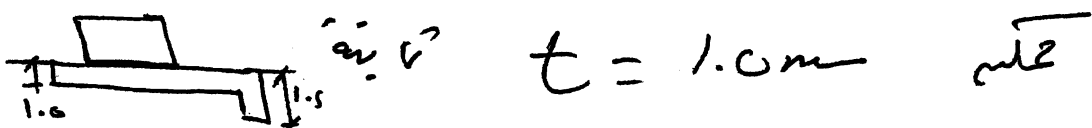
$$A_s = A_{s \min} = 10 \phi 25 \text{ mm}$$

$$\therefore A_s' = 5 \phi 12 \text{ mm}$$

من أجل أن يكون (1.90) متر

$$\therefore L_{Pac} > L_{Pth}$$

$\therefore t$ From moment



6-Rft Details

